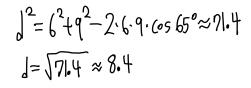
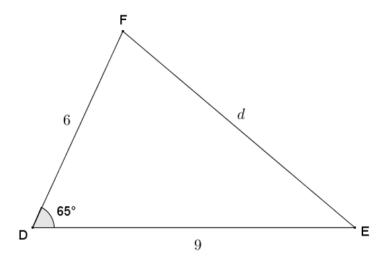
1.

Given \triangle *DEF*, use the law of cosines to find the length of the side marked d to the nearest tenth.



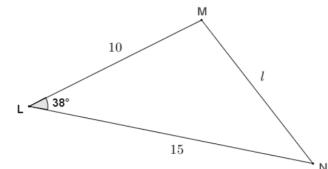


2.

Given triangle LMN, LM=10, LN=15, and $m\angle L=38^\circ$, use the law of cosines to find the length of \overline{MN} to the nearest tenth.

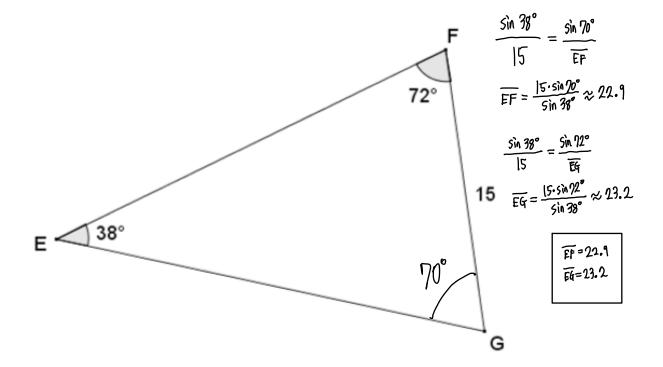
$$\int_{1}^{2} = |0^{2} + |5^{2} - 2| |0| |5| \cos 38^{\circ} \approx 88.6$$

$$\int_{1}^{2} = \sqrt{88.6} \approx 9.4$$



3.

Given triangle EFG, FG=15, angle E has a measure of 38° , and angle F has a measure of 72° , find the measures of the remaining sides and angle to the nearest tenth. Justify your method.



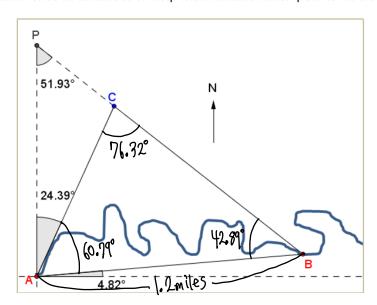
4.

5.

Given triangle ABC, AC = 6, AB = 8, and $m \angle A = 78^{\circ}$, draw a diagram of triangle ABC, and use the law of cosines $q^2 = (^2 + 9^2 - 2 - 6 \cdot 8 \cdot 65) 9^{\circ} \approx 80$

to find the length of \overline{BC} .

Mark is deciding on the best way to get from point A to point \overline{B} as shown on the map of Crooked Creek to go fishing. He sees that if he stays on the north side of the creek, he would have to walk around a triangular piece of private property (bounded by \overline{AC} and \overline{BC}). His other option is to cross the creek at A and take a straight path to B, which he knows to be a distance of $1.2 \mathrm{\ mi}$. The second option requires crossing the water, which is too deep for his boots and very cold. Find the difference in distances to help Mark decide which path is his better choice.



$$\frac{1.2}{\sin 76.32^{\circ}} = \frac{\overline{AC}}{\sin 4289^{\circ}} = \frac{\overline{AB}}{\sin 60.79^{\circ}}$$

$$\widehat{AB} = \frac{1.2 \cdot \sin 60.79^{\circ}}{\sin 76.32^{\circ}} \approx 1.08 \qquad (1.08 + 0.84) - 1.2$$

$$\overline{AC} = \frac{1.2 \cdot \sin 42.81^{\circ}}{\sin 76.32^{\circ}} \approx 0.84$$

$$0.72 \text{ miles}$$